

MTD time calibration

Timing days
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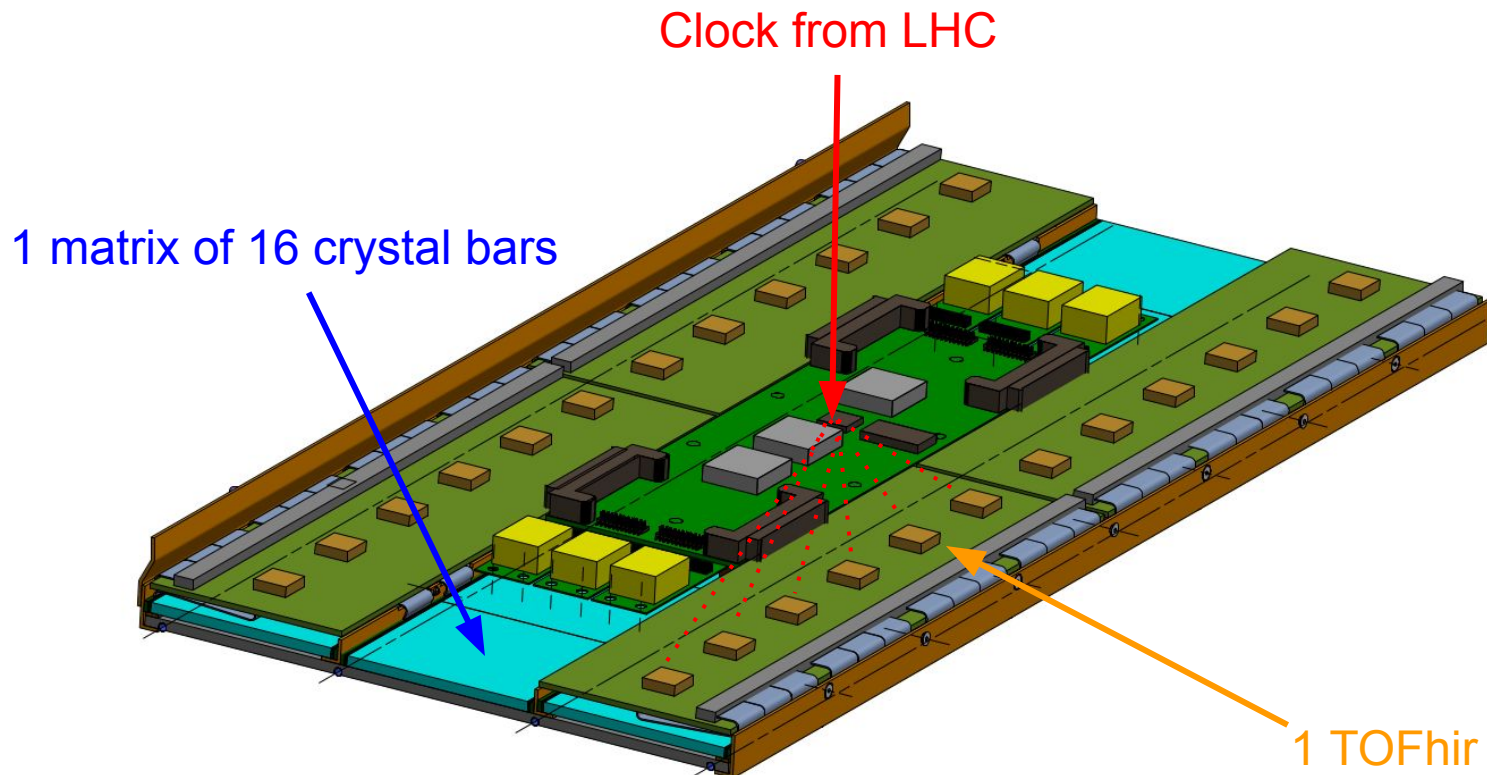


Importance of the time calibration

- In order to achieve 4D track reconstruction → MTD channels synchronization required to be of few ps
- Absolute synchronization wrt LHC clock is not fundamental
 - Event reconstruction relies on relative time between tracks within the same bunch crossing
- What to calibrate exactly?
 - relative time shift of single channels
 - relative shifts of the Readout Units
 - Time dependence vs position for BTL
 - Time dependence vs layer for ETL

BTL Readout Unit

- 1 channel := 1 SiPM → 2 channels per crystal bar
- Readout Unit
 - 24 TOFhir chips
 - 384 crystals → 768 channels
- Clock from LHC to each Readout Unit → distributed to each TOFhir



Time reconstruction

- Time of the track is measured as:

In BTL use the time of the 2 SiPMs at bar sides (anticorrelated)

$$c_1 \times (t_L - \Delta t_{\text{SYNCL}}) + c_2 \times (t_R - \Delta t_{\text{SYNCR}}) - \text{TOF}$$

In ETL use the time of the 2 detector layers (independent)

$$c_1 \times (t_{\text{lay1}} - \Delta t_{\text{SYNC1}}) + c_2 \times (t_{\text{lay2}} - \Delta t_{\text{SYNC2}}) - \text{TOF}$$

- Main contributions are : to be calibrated

$$t_{\text{TRK}} = t_{\text{VTX}} + \text{TOF} + t_{\text{DET}} + \Delta t_{\text{SYNC RU}} + \Delta t_{\text{SYNC CH}}$$

t_{VTX} = time of the vertex

t_{DET} = detection time

In BTL

scintillation +
light propagation in the bar +
electronics

In ETL

charge drift in silicon +
electronics

$\Delta t_{\text{SYNC RU}}$ = sync time of the Readout Unit ← to be calibrated

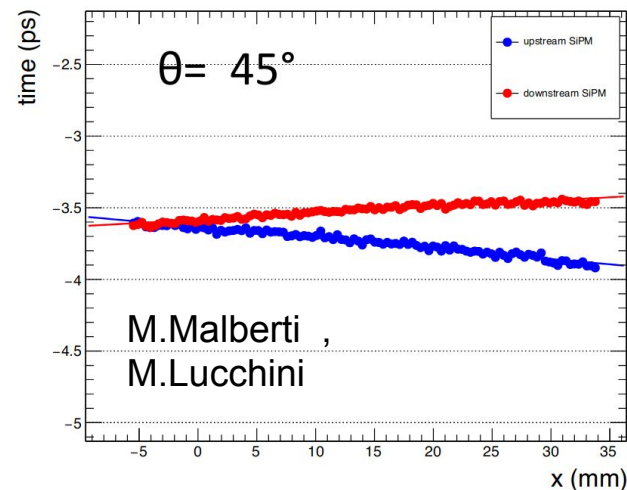
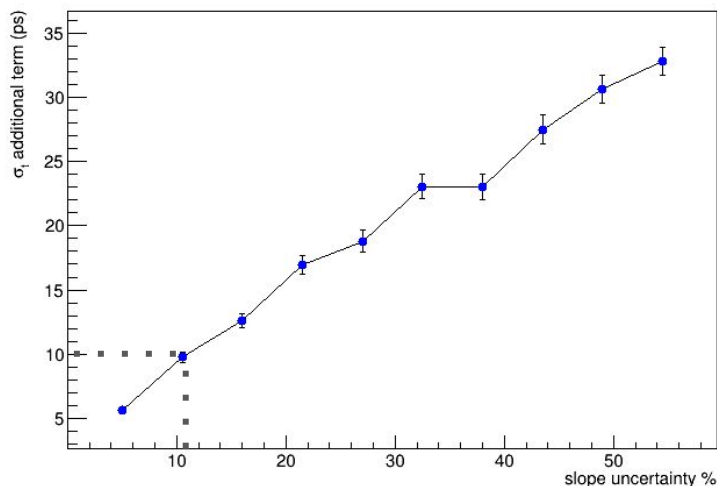
$\Delta t_{\text{SYNC CH}}$ = sync time of the single crystal ← to be calibrated

Min bias events for the calibration

- For the calibration use all the tracks collected by the HLT
- Number of tracks is fundamental to achieve the target precision
- Assuming:
 - 1 kHz HLT rate
 - 5% occupancy per channel to be conservative (more likely 8%)
 - 23 s lumisections
- The expected number of min bias events is
 - $\sim 10^3$ evts / channel / 1s
 - $\sim 10^4$ evts / channel / 200 s
 - $\sim 2 \cdot 10^4$ evts / Readout Unit / 1 s

Calibration of c_1 and c_2 for BTL

- slope₁ and slope₂ describes the dependence of t_1 and t_2 from impact point, along φ direction (φ -geometry)
- slope₁ and slope₂ can be measured fitting t_1 and t_2 vs extrapolated impact point
 - test beam show dependence on MIP impact angle \rightarrow on p_T
- $c_1 = \text{slope}_1 / (\text{slope}_1 + \text{slope}_2)$ and $c_2 = \text{slope}_2 / (\text{slope}_1 + \text{slope}_2)$
- Required precision on slope is at least $\sim 11\%$
- Ongoing studies with CMS simulation to estimate the expected precision on the slope in p_T bins



Relation between c_1 and c_2 calibration and Δt_{SYNC}

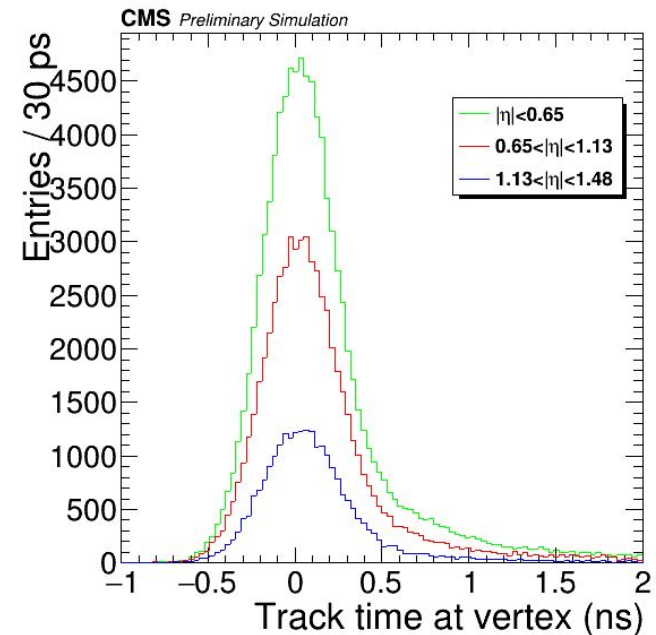
- In a perfect world for each lumisection:
 1. Calibrate the slopes \rightarrow compute c_1 and c_2
 2. Calibrate Δt_{SYNC} on top of it
- BUT in order to achieve a sufficient precision on the slopes ($\sim 11\%$) more than a lumisection is required (from preliminary results $\sim 10^2$ - 10^3 lumisection)
- Slopes expected to be stable in a time scale of \sim week (constant MTD conditions)
- Proposed method: split Δt_{SYNC} in the 2 contributions Δt_{SYNC1} and Δt_{SYNC2}
 1. Calibrate separately Δt_{SYNC1} and Δt_{SYNC2} per lumisection
 2. Calibrate the slopes on top of it per 10^2 - 10^3 lumisections

Calibration of Δt_{SYNC} for BTL

- Measure the time distribution of the tracks and compare it to the bunch crossing nominal time
- Using min bias data of a lumisection: $\sim 10^3$ events / ch / ls
- Time spread of the beamspot ~ 200 ps RMS
- **If independent calibration of $\text{SiPM}_{\text{LEFT}}$ and $\text{SiPM}_{\text{RIGHT}}$**
 - ⊕ Spread due to light propagation in the bar =
 $= 50 \text{ mm} * 6 \text{ ps/mm} / \text{sqrt}(12) = 108 \text{ ps}$
 - Single SiPM time resolution = 40 ps
 - **Exp. precision** = $(200 \oplus 87 \oplus 40) \text{ ps} / \text{sqrt}(1000) = 7.3 \text{ ps}$
- **If calibration only of $c_1 \times t_{\text{LEFT}} + c_2 \times t_{\text{RIGHT}}$ with $c_1 = c_2 = 1/2$**
 - Sensor time resolution = 30 ps
 - **Exp. precision** = $(200 \oplus 30) \text{ ps} / \text{sqrt}(1000) = 6.4 \text{ ps}$
- Values obtained neglecting the impact of the TOF back-propagation
 - Use simulation to estimate the precision of the method

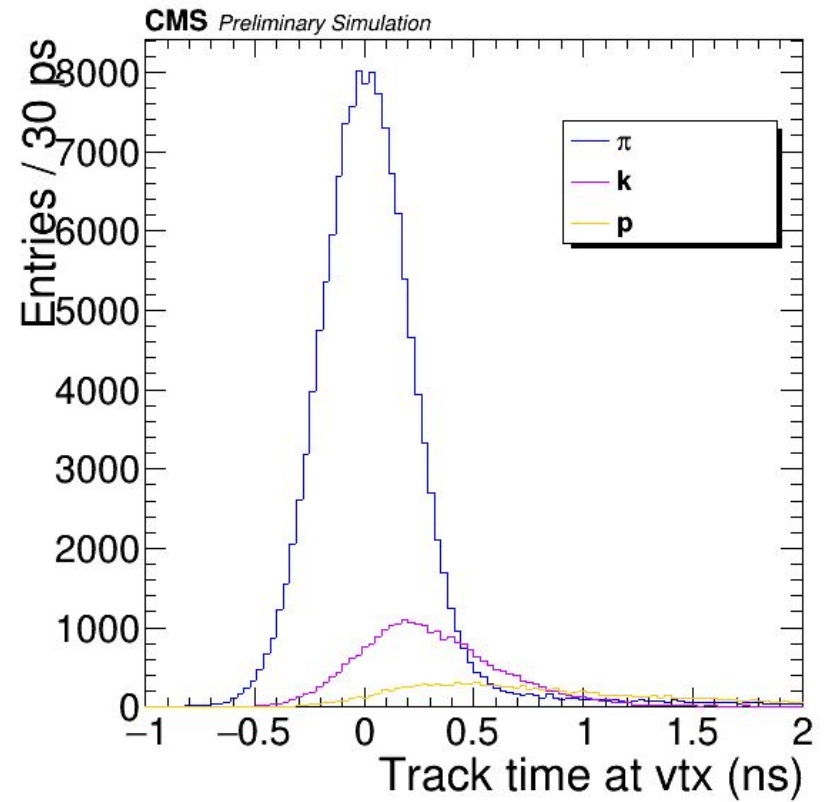
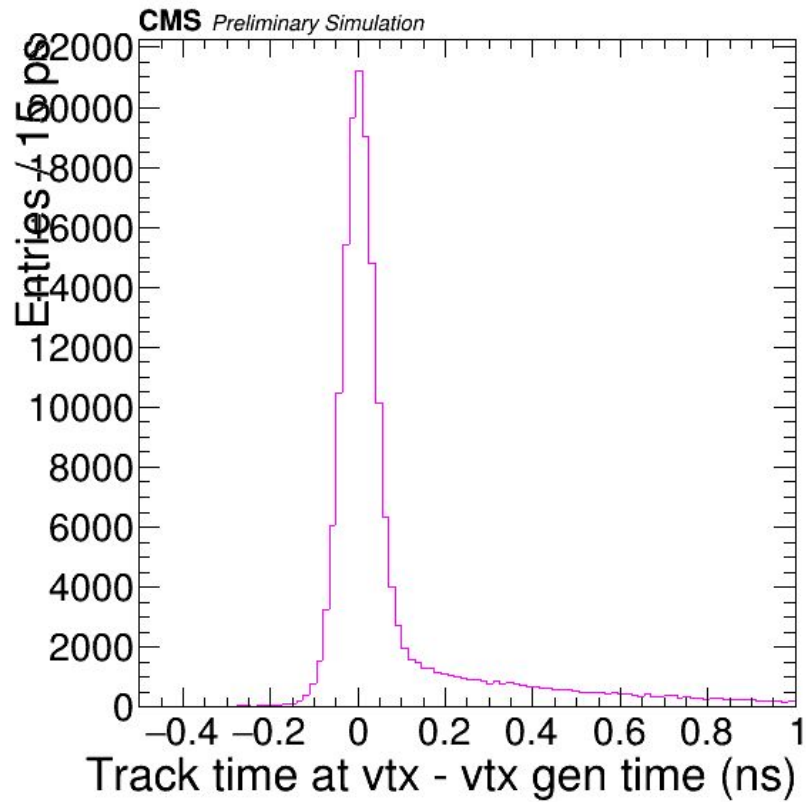
Simulation setup

- Simulate min-bias events using CMSSW with phi-geometry, 0-pileup
- For each track use the time of the crystal with the largest energy deposit
- Limited number of simulated events
 - Not possible to calibrate separately each bar/SiPM
 - Take the time distribution in different η -regions and use a MC toy to generate the required number of events
- Once back-propagated, time distribution is independent from η
 - Dominated by beamspot spread
 - Correlation at different η due to tracks coming from the same vertex



Shape of the distribution

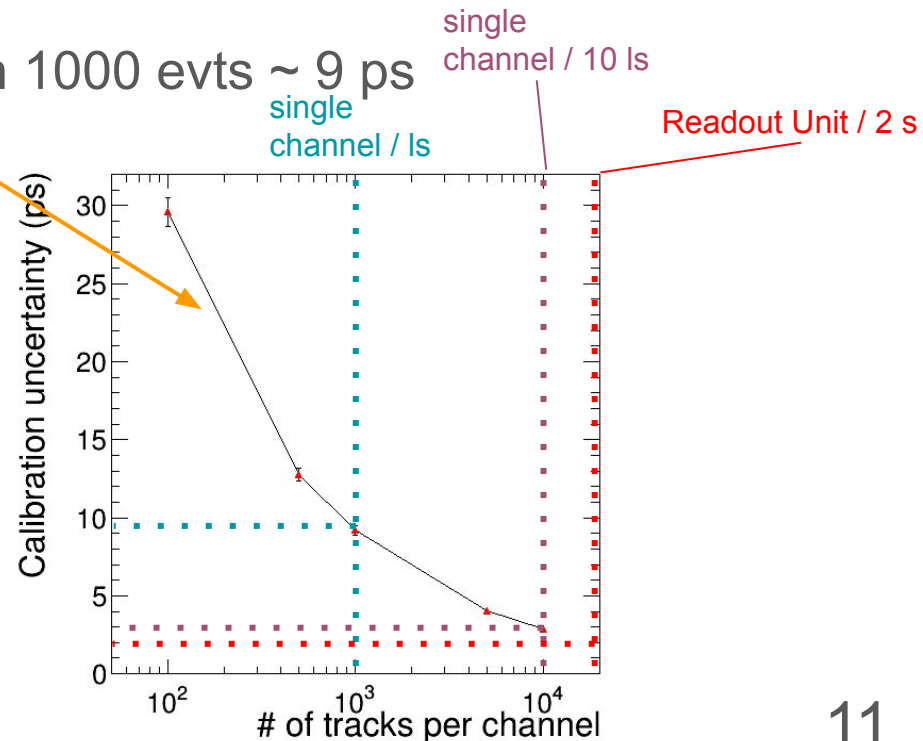
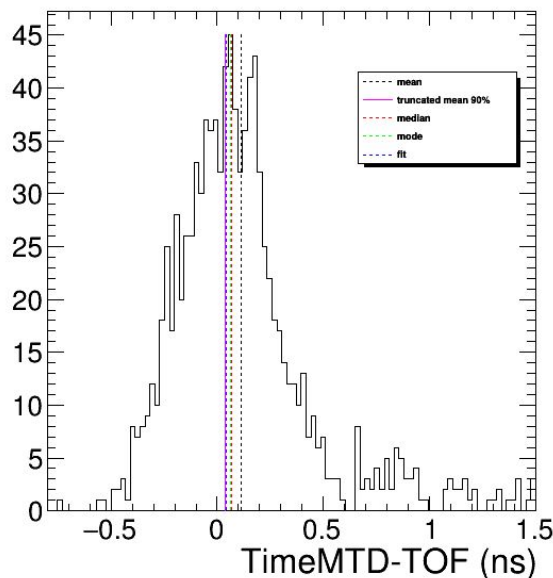
- Right tail in distribution due to π -mass hypothesis for p and k in back-propagation procedure



Calibration precision vs number min bias events

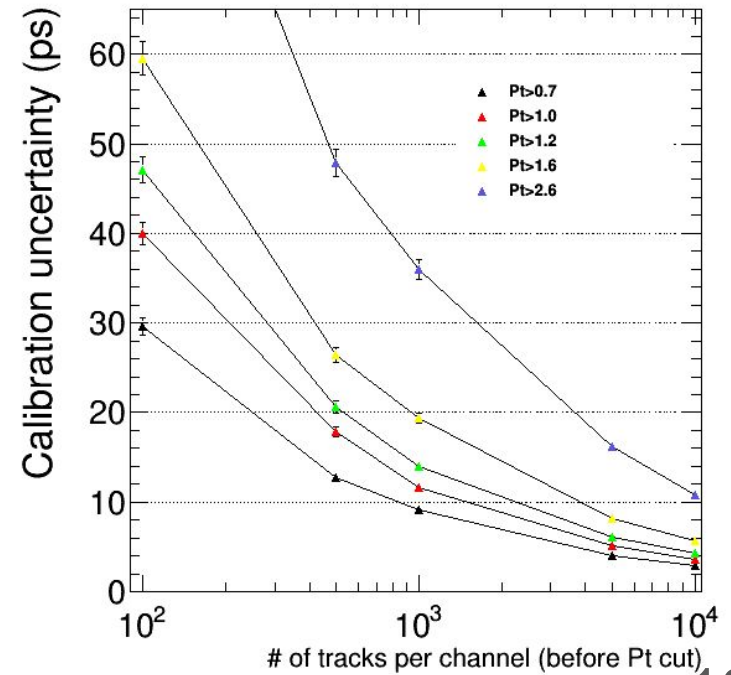
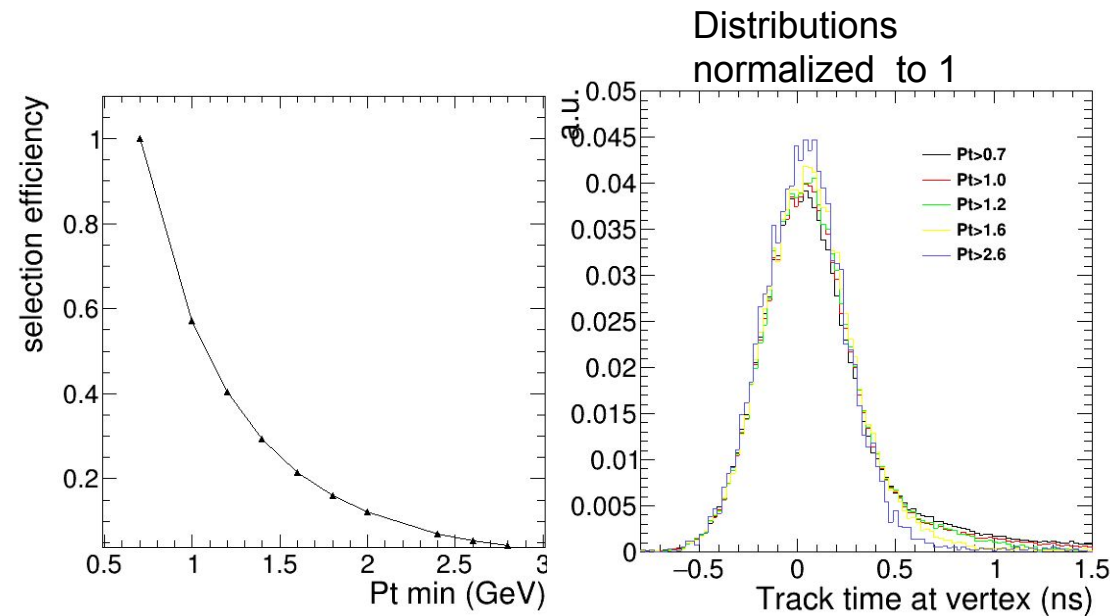
- Results for direct calibration of the bar ($(t_{\text{LEFT}} + t_{\text{RIGHT}})/2$)
- Distribution is not symmetric
 - Try different estimators: mean, median, mode, gaus fit of the core, truncated mean
- Calibration uncertainty = spread between the injected time offset and the estimated time offset
- Best method: median
- Achieved precision calibrating with 1000 evts ~ 9 ps

1000 toy events



Calibration precision vs Pt cut

- The cut $Pt > Pt_{\min}$:
 - Reduces the efficiency
 - Reduces the tails in the distribution due to protons and kaons
 - Visible effect only with a cut $Pt > 2 \text{ GeV} \rightarrow \sim 10\%$ efficiency
- The reduction of efficiency is the dominating effect
 - Best result achieved with full p_T acceptance



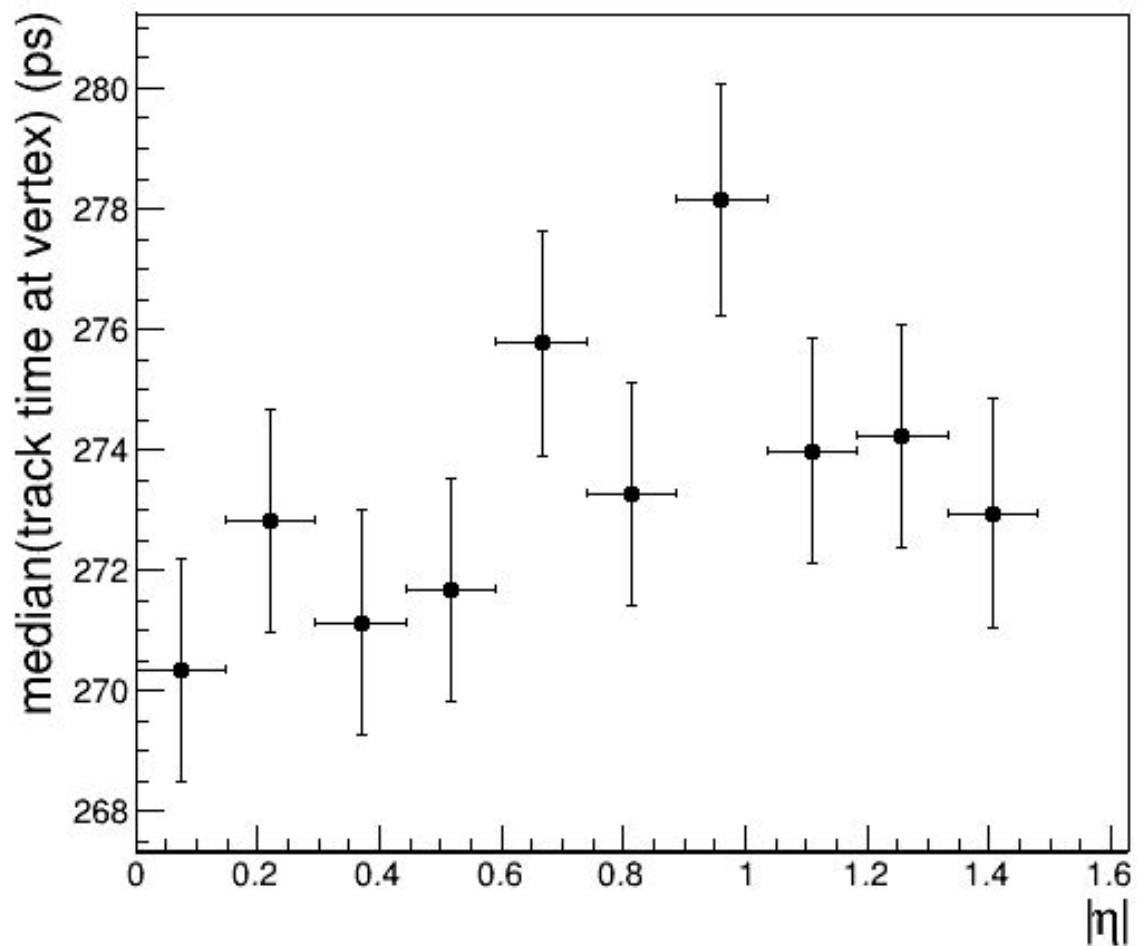
Summary

- Performed feasibility study of the MTD time calibration
 - Mainly focused on BTL calibration: can be easily generalized to ETL (studies ongoing)
 - Expected precision below 10 ps for single channel calibration and below 3 ps for Readout Unit calibration
 - Study of additional systematic effects ongoing (pileup, short period clock instabilities, in-lumisection changes)
- Calibration constants can be made available for the the Prompt reconstruction
- The MTD channel synchronization will not be a limiting factor in the MTD operation

BACKUP

Median vs η

- Median estimator is stable vs η within $\sim 3\text{-}4$ ps



Calibration precision using different estimators

- At large number of events the mode is not reliable due to the binning
- Template fit is better than the median but additional uncertainty expected
 - The template function does not match exactly with the distribution as assumed in the toy

